## 1St Sem

Name of the Assistant/ Associate Professor: - Dr. Vinod Kumar

Class: B.A/B.Sc 1st

Subject: Mathematics (Algebra)

| XX 7 1 | T  |
|--------|--|
| Week   | Topics   |
| Sep 1  | Symmetric, Skew symmetric, Hermitian and skew            |
|        | Hermitian matrices                                       |
| Sep 2  | Elementary Operations on matrices. Rank of a matrices.   |
|        | Inverse of a matrix. Linear dependence and independence  |
|        | of rows and columns of matrices. Row rank and column     |
|        | rank of a matrix.  |
| Sep 3  | . Eigenvalues, eigenvectors and the characteristic       |
|        | equation of a matrix. Minimal polynomial of a matrix.    |
| Sep 4  | Cayley Hamilton theorem and its use in finding the       |
|        | inverse of a matrix.                                     |
|        |  |
| Oct 1  | Applications of matrices to a system of linear (both     |
|        | homogeneous and non-homogeneous) equations.              |
| 0.0    |  |
| Oct2   | Theorems on consistency of a system of linear equations. |
|        | Unitary and Orthogonal Matrices, Bilinear and Quadratic  |
|        | forms.   |
| 00     |  |
| Oct 3  | Relations between the roots and coefficients of general  |
| 0 1    | polynomial equation in one variable.                     |
| Oct 4  | Solutions of polynomial equations having conditions on   |
|        | roots.   |
| Nov 1  | Common roots and multiple roots. Transformation of       |
|        | equations.   |
|        |  |
| Nov 2  | Nature of the roots of an equation Descarte's rule of    |
|        | signs.   |
| Nov 3  | Solutions of cubic equations (Cardon's method).          |
|        |  |
| Nov 4  | Biquadratic equations and their solutions.               |
|        |  |
| Dec 1  | Revision   |
|        |  |

Name of Lecturer:-Dr. Vinod kumar

Class and Section :- B.A/B.sc  $2^{nd}$ 

Semester :- 4th

Subject:- Mathematics (Group and Rings)

| C       | XX7 1 / .1               | Subject:- Mathematics (Group and Kings)                                     |
|---------|--------------------------|---|
| Sr. no. | Week/months              | Topic / particulars   |
| 1       | 1 <sup>st</sup> /Feb.    | Definition of group with example and properties, subgroups and its criteria |
| 2       | 2 <sup>nd</sup> /Feb.    | Generation of group, cyclic group   |
| 3       | 3 <sup>rd</sup> / Feb.   | Lagrange theorem and normal subgroups                                       |
| 4       | 4 <sup>th</sup> / Feb    | Quotient group, homomorphism, isomorphism, automorphism                     |
| 5       | 1 <sup>st</sup> / March. | Automorphism of cyclic group, Alternating group, Kayley theorem             |
| 6       | 2 <sup>nd</sup> / March  | Introduction to ring, subring   |
| 7       | 3 <sup>rd</sup> / march  | Fields, Ideal and Quotient rings  |
| 8       | 4 <sup>th</sup> / March  | Euclideans rings, polynomial rings  |
| 9       | 1 <sup>st</sup> / April  | Polynomial over the rational field  |
| 10      | 2 <sup>nd</sup> / April  | The Einstein criteria   |
| 11      | 3 <sup>rd</sup> / April  | Polynomial rings, Commutative rings   |
| 12      | 4 <sup>th</sup> / April  | Unique factorization domain and revision                                    |
|         |                          |   |

#### LESSON PLAN OF MATHEMATICS

Name of College:- CH. BANSI LAL GOVT. P.G. COLLEGE LOHARU (BHIWANI)

**Academic Session:- 2023-24** 

Semester:- B.Sc V<sup>th</sup> Sem

**Subject:- LINEAR ALGEBRA** 

Teacher name:- Dr. Vinod kumar

|           | LESSON PLAN OF LINEAR ALGEBRA  |
|-----------|--|
| September |  |
| Week 1:   | Introduction to Syllabus and Pattern   |
|           | Vector space, Subspace   |
| Week 2:   | Sum and direct sum of subspaces, Linear span, L.I. and L.D. subsets, finitely generated vector space, finite dimensional vector space. |
| Week 3:   | Basis, Quotient space and its dimension, Homomorphism and isomorphism, Linear transformation and linear form of vector space           |
| october   |  |
| Week 1:   | Dual space, Bi dual space, annihilator of subspace, Null space, Range space of linear transformation                                   |
| Week 2:   | Rank and Nullity theorem, Algebra of linear transformation, Minimal polynomial of a linear transformation                              |
| November  |  |
| Week 1:   | Singular and non-singular linear transformation, Matrix of linear transformation, change of basis, Eigenvalue and eigen vector         |
| Week 2:   | Inner product space, Cauchy- Schwarz inequality, Orthogonal vector, orthogonal sets and basis  |
| Week 3:   | Bessel's inequality, Gram-Schmidt orthogonalization process, Adjoint and its properties, Unitary linear transformation                 |
| December  | Revision   |
|           |  |

## 3rd Sem

Name of the Assistant/ Associate Professor: - Dr. Vinod kumar

Class: B.A 2nd

Subject: Numerical methods with Programming in C(Math)

| Week  | Topics  |  |
|-------|---|--|
| Sep 1 | Programmer model of a computer, algorithms, flow chart  |  |
| Sep 2 | Data type, operators and expressions, input/output functions  |  |
| Sep 3 | Decision control structures, logical and conditional statements, Loops, Switch and Case control structure |  |
| Sep 4 | Strings, character data types, Arithmetic operation on characters   |  |
| Oct 1 | Structure: definition and uses  |  |
| Oct2  | Solution of algebraic and transcendental equations;<br>Bisection method                                   |  |
| Oct 3 | Regula falsi method, secant method  |  |
| Oct 4 | Fixed point iterative method, Newton Raphson's method   |  |
| Nov 1 | Newton iterative formulae for nth root of a number and order of convergence                               |  |
| Nov 2 | Gauss elimination method, Gauss Jordan method   |  |
| Nov 3 | Iterative method and Jacobi method  |  |
| Nov 4 | Gauss seidal method and Relaxation method   |  |
| Dec 1 | Order of convergence and revision   |  |

## 6th Sem

Name of the Assistant/ Associate Professor: - Dr. Vinod Kumar

Class: B.A/B.Sc 3rd

Subject: Mathematics (Special function and integral transform)

| Week    | Topics  |
|---------|---|
| Feb 1   | Section – I   |
|         | Series solution of differential equations – Power series method,                        |
|         | Definitions of Beta and Gamma functions   |
| Feb 2   | . Bessel equation and its solution: Bessel functions and their                          |
|         | properties-Convergence, recurrence, Relations and generating                            |
| T 1 0   | functions, Orthogonality of Bessel functions  |
| Feb 3   | Legendre and Hermite differentials equations and their                                  |
|         | solutions: Legendre and Hermite functions and their properties-<br>Recurrence Relations |
| Feb 4   | and generating functions. Orhogonality of Legendre and Hermite                          |
| 1004    | polynomials. Rodrigues' Formula for Legendre & Hermite                                  |
|         | Polynomials   |
| March 1 | Laplace Integral Representation of Legendre polynomial.                                 |
|         |   |
|         |   |
| March 2 | Laplace Transforms – Existence theorem for Laplace transforms,                          |
|         | Linearity of the Laplace transforms, Shifting theorems                                  |
| March 3 | Laplace transforms of derivatives and integrals, Differentiation                        |
|         | and integration of Laplace transforms   |
| March 4 | Convolution theorem, Inverse Laplace transforms, convolution                            |
|         | theorem, Inverse Laplace transforms of derivatives and integrals,                       |
|         | solution of ordinary differential equations using Laplace                               |
|         | transform.  |
| April 1 | Fourier transforms: Linearity property, Shifting, Modulation,                           |
| whiii i | Convolution Theorem   |
| April 2 | Fourier Transform of Derivatives, Relations between Fourier                             |
| -r      | transform and Laplace transform   |
| April 3 | Parseval's identity for Fourier transforms  |
| April 4 | solution of differential Equations using Fourier Transforms. And                        |
|         | revision  |
|         |   |
|         |   |
|         |   |

Name of Lecturer:-Dr. Vinod kumar

Class and Section :- B.A/B.sc 1st

Semester :- 2nd

Subject:- Mathematics (vector calculus)

| G       | XX7 1 / .1               | Subject:- Mathematics (vector calculus)  |
|---------|--------------------------|--|
| Sr. no. | Week/months              | Topic / particulars  |
| 1       | 1 <sup>st</sup> / Feb.   | Scalar and vector product of three vectors, product of four vectors. Reciprocal vectors.   |
| 2       | 2 <sup>nd</sup> /Feb.    | Vector differentiation. Scalar Valued point functions, vector valued point functions, derivative along a curve.                      |
| 3       | 3 <sup>rd</sup> / Feb.   | Directional derivatives  |
| 4       | 4 <sup>th</sup> / Feb    | Gradient of a scalar point function, geometrical interpretation of grad ${\pmb \sigma}$ , character of gradient as a point function. |
| 5       | 1 <sup>st</sup> / March. | Divergence and curl of vector point function, characters of Div $\vec{f}$ and Curl $\vec{f}$ as point function, examples.            |
| 6       | 2 <sup>nd</sup> / March  | Gradient, divergence and curl of sums and product and their related vector identities. Laplacian operator                            |
| 7       | 3 <sup>rd</sup> / march  | Orthogonal curvilinear coordinates Conditions for orthogonality fundamental triad of mutually orthogonal unit vectors.               |
| 8       | 4 <sup>th</sup> / March  | Gradient, Divergence, Curl and Laplacian operators in terms of orthogonal curvilinear coordinates                                    |
| 9       | 1 <sup>st</sup> / April  | Cylindrical co-ordinates and Spherical co-ordinates.   |
| 10      | 2 <sup>nd</sup> / April  | Vector integration; Line integral, Surface integral,   |
| 11      | 3 <sup>rd</sup> / April  | Volume integral  |
| 12      | 4 <sup>th</sup> / April  | Theorems of Gauss, Green & Stokes and problems based on these theorems and revision  |

Signature