# 3rd Sem

Name of the Assistant/ Associate Professor: - Dr. Vinod Kumar

### Class: B.A/B.Sc 2nd

# Subject: Mathematics( Advance calculus)

Week	Topics				
Sep 1	Continuity, Sequential Continuity, properties of				
	continuous functions, Uniform continuity, chain rule of				
	differentiability				
Sep 2	. Mean value theorems; Rolle's Theorem and Lagrang				
	mean value theorem and their geometrical interpretations.				
Sep 3	Taylor's Theorem with various forms of remainders,				
	Darboux intermediate value theorem for derivatives,				
	Indeterminate forms.				
Sep 4	Limit and continuity of real valued functions of two				
	variables. Partial differentiation. Total Differentials;				
	Composite functions & implicit functions.				
Oct 1	Change of variables. Homogenous functions & Euler's				
	theorem on homogeneous functions.				
Oct2	Taylor's theorem for functions of two variables.				
Oct 3	Differentiability of real valued functions of two variables.				
Oct 4	Schwarz and Young's theorem. Implicit function				
	theorem. Maxima, Minima and saddle points of two				
	variables.				
Nov 1	Lagrange's method of multipliers.				
Nev 2	Curress Tanganta Dringingly normals Dingmode Servet				
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	Suborical aurustura				
Nov 2	Leona of control of Spherical currenture Involutes				
INOV 5	Locus of centre of spherical curvature, involutes,				
Nov 4	Portrand Curryon Surfagge: Tangant planas				
1NOV 4	Dertrand Curves. Surfaces: Tangent planes,				
Dec 1	one parameter family of surfaces, Envelopes.				

### 1St Sem

Name of the Assistant/ Associate Professor: - Dr. Vinod Kumar

### Class: B.A/B.Sc 1st

# Subject: Mathematics( Algebra)

Week	Topics			
Sep 1	Symmetric, Skew symmetric, Hermitian and skew Hermitian matrices			
Sep 2	Elementary Operations on matrices. Rank of a matrices. Inverse of a matrix. Linear dependence and independence of rows and columns of matrices. Row rank and column rank of a matrix.			
Sep 3	. Eigenvalues, eigenvectors and the characteristic equation of a matrix. Minimal polynomial of a matrix.			
Sep 4	Cayley Hamilton theorem and its use in finding the inverse of a matrix.			
Oct 1	Applications of matrices to a system of linear (both homogeneous and non-homogeneous) equations.			
Oct2	Theorems on consistency of a system of linear equations. Unitary and Orthogonal Matrices, Bilinear and Quadratic forms.			
Oct 3	Relations between the roots and coefficients of general polynomial equation in one variable.			
Oct 4	Solutions of polynomial equations having conditions on roots.			
Nov 1	Common roots and multiple roots. Transformation of equations.			
Nov 2	Nature of the roots of an equation Descarte's rule of signs.			
Nov 3	Solutions of cubic equations (Cardon's method).			
Nov 4	Biquadratic equations and their solutions.			
Dec 1	Revision			

# 5th Sem

Name of the Assistant/ Associate Professor: - Dr. Vinod Kumar

# Class: B.Sc 3rd

# Subject: Group and Rings (math)

Week	Topics		
Sep 1	Definition of group with example and properties,		
	subgroups and its criteria		
Sep 2	Generation of group, cyclic group		
Sep 3	Lagrange theorem and normal subgroups		
Sep 4	Quotient group, homomorphism, isomorphism,		
	automorphism		
Oct 1	Automorphism of cyclic group, Alternating group,		
	Kayley theorem		
Oct2	Introduction to ring, subring		
Oct 3	Fields, Ideal and Quotient rings		
Oct 4	Euclideans rings, polynomial rings		
Nov 1	Polynomial over the rational field		
Nov 2	The Einstein criteria		
Nov 3	Polynomial rings		
Nov 4	Commutative rings		
Dec 1	Unique factorization domain		

#### **LESSON PLAN OF MATHEMATICS**

Name of College:- CH. BANSI LAL GOVT. P.G. COLLEGE LOHARU (BHIWANI)

Academic Session:- 2022-23

Semester:- B.Sc VI<sup>th</sup> Sem

Subject:- LINEAR ALGEBRA

Teacher name:- Dr. Vinod kumar

LESSON PLAN OF LINEAR ALGEBRA
Introduction to Syllabus and Pattern
Vector space, Subspace
Sum and direct sum of subspaces, Linear span, L.I. and L.D. subsets, finitely generated vector space, finite dimensional vector space.
Basis, Quotient space and its dimension, Homomorphism and isomorphism, Linear transformation and linear form of vector space
Dual space, Bi dual space, annihilator of subspace, Null space, Range space of linear transformation
Rank and Nullity theorem, Algebra of linear transformation, Minimal polynomial of a linear transformation
Singular and non-singular linear transformation, Matrix of linear transformation, change of basis, Eigenvalue and eigen vector
Inner product space
Cauchy- Schwarz inequality, Orthogonal vector, orthogonal sets and basis
Bessel's inequality, Gram-Schmidt orthogonalization process, Adjoint and its properties, Unitary linear transformation

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#### Name of Lecturer:-Dr. Vinod kumar

### Class and Section :- B.A/B.sc 2<sup>nd</sup>

#### Semester :- 4th

#### Subject:- Mathematics (Sequence and Series)

Sr. no.	Week/months	Topic / particulars
1	1 <sup>st</sup> / Feb.	Boundedness of the set of real numbers; least upper bound, greatest lower bound of a set, neighborhoods, interior points, isolated points,
2	2 <sup>nd</sup> /Feb.	limit points, open sets, closed set, interior of a set, closure of a set in real numbers and their properties.
3	3 <sup>rd</sup> / Feb.	Bolzano-Weiestrass theorem, Open covers, Compact sets and Heine-Borel Theorem.
4	4 <sup>th</sup> / Feb	Sequence: Real Sequences and their convergence, Theorem on limits of sequence, Bounded and monotonic sequences, Cauchy's sequence,
5	1 <sup>st</sup> / March.	Cauchy general principle of convergence, Subsequences, Subsequential limits.
6	2 <sup>nd</sup> / March	Infinite series: Convergence and divergence of Infinite Series, Comparison Tests of positive terms Infinite series,
7	3 <sup>rd</sup> / march	Cauchy's general principle of Convergence of series, Convergence and divergence of geometric series, Hyper Harmonic series or p-series.
8	4 <sup>th</sup> / March	Infinite series: D-Alembert's ratio test, Raabe's test, Logarithmic test, de Morgan and Bertrand's test, Cauchy's Nth root test
9	1 <sup>st</sup> / April	Gauss Test, Cauchy's integral test, Cauchy's condensation test. Alternating series, Leibnitz's test, absolute and conditional convergence
10	2 <sup>nd</sup> / April	, Arbitrary series: abel's lemma, Abel's test, Dirichlet's test, Insertion and removal of parenthesis, re-arrangement of terms in a series, Dirichlet's theorem
11	3 <sup>rd</sup> / April	Riemann's Re-arrangement theorem, Pringsheim's theorem (statement only), Multiplication of series,
12	4 <sup>th</sup> / April	Cauchy product of series, (definitions and examples only) Convergence and absolute convergence of infinite products and revision

Signature

#### Name of Lecturer:-Dr. Vinod kumar

### Class and Section :- B.A/B.sc 1st

#### Semester :- 2nd

### Subject:- Mathematics (vector calculus)

Sr. no.	Week/months	Topic / particulars
1	1 <sup>st</sup> / Feb.	General equation of second degree. Tracing of conics. Tangent at any point to the conic, chord of contact,
2	2 <sup>nd</sup> /Feb.	pole of line to the conic, director circle of conic. System of conics.
3	3 <sup>rd</sup> / Feb.	Confocal conics. Polar equation of a conic, tangent and normal to the conic.
4	4 <sup>th</sup> / Feb	Gradient of a scalar point function, geometrical interpretation of grad ${\bf \Phi}$ , character of gradient as a point function.
5	1 <sup>st</sup> / March.	Divergence and curl of vector point function, characters of Div $\vec{f}$ and Curl $\vec{f}$ as point function, examples.
6	2 <sup>nd</sup> / March	Gradient, divergence and curl of sums and product and their related vector identities. Laplacian operator
7	3 <sup>rd</sup> / march	Orthogonal curvilinear coordinates Conditions for orthogonality fundamental triad of mutually orthogonal unit vectors.
8	4 <sup>th</sup> / March	Gradient, Divergence, Curl and Laplacian operators in terms of orthogonal curvilinear coordinates
9	1 <sup>st</sup> / April	Cylindrical co-ordinates and Spherical co-ordinates.
10	2 <sup>nd</sup> / April	Vector integration; Line integral, Surface integral,
11	3 <sup>rd</sup> / April	Volume integral
12	4 <sup>th</sup> / April	Theorems of Gauss, Green & Stokes and problems based on these theorems and revision

Signature